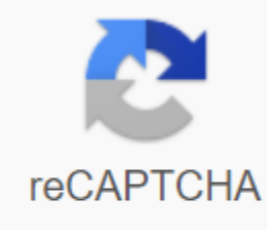




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How To Find Chi Square Critical Value On Ti 84 Plus Ce. Return to TI 83/84 Statistics Chi-Square Goodness of Fit Test If some of the symbols or images below do not appear, try using Mozilla Firefox as your internet browser. Brief Instructions Enter the observed values under L1. Divide the sample size by the number of possible outcomes. The result is the expected value. Put the cursor on L2 in the data entry window. Press "(" left parenthesis, 2ND, "1" and "-" minus sign. Enter the expected value. Then press ")" right parenthesis, "x2", "+", and enter the expected value again. Pressing ENTER will fill in L2. Now press STAT and choose CALC. Press ENTER, 2ND, "2" and ENTER. The test statistic is next to $S_x =$. Subtract one from the number of possible outcomes to obtain the degrees of freedom. Next press 2ND and VARS, choose c2cdf(and press ENTER. Enter the test statistic, 1E99, and the number of possible outcomes minus one. Put commas between these three numbers and a right parenthesis after the last number. Pressing ENTER gives the P-value. Detailed Instructions This test is used to decide whether outcomes of a certain event are in the same proportions that were expected. We will always test whether or not all outcomes are equally likely. To demonstrate this procedure we will test whether the days of the week for 300 randomly selected pedestrian deaths are equally likely at 98% confidence (Sullivan, Fundamentals of Statistics, 2nd ed, Pearson Education, Inc. 2008, p.561). The data are shown below. Day Sun. Mon. Tues. Wed. Thurs. Fri. Sat Frequency 39 40 30 40 41 49 61 Assuming the days of the week are equally likely, you would expect $300/7 \approx 42.9$ deaths on average for each of the days. The test statistic for this test is given by the formula where k is the number of possible outcomes, O_i is the observed frequency, and E_i is the expected frequency. In this situation, $k = 7$ since there are 7 days of the week, the O_i are given in the table shown above, and since we are assuming each day is equally likely, $E_i = 42.9$ for each i . To aid in computing, we will rename the second row and add a third row to the table above. Day Sun. Mon. Tues. Wed. Thurs. Fri. Sat O_i 39 40 30 40 41 49 61 E_i 42.9 42.9 42.9 42.9 42.9 42.9 To save time, we will use the use the "list" operations of the calculator to do the necessary calculations. Press "STAT" and "ENTER". Clear lists L1 and L2. Enter the O_i under L1. When you are finished, the data entry screen should look like the following. L1 L2 39 40 30 40 41 49 61 Next put the cursor on L2 in the data entry window, and press "(" (left parenthesis), "2ND", "1", "-" (minus sign), "4", "2", "." (decimal point), "9", ")" (right parenthesis), "x2", "+", "4", "2", "." (decimal point), "9". At this point, the formula at the bottom of the data entry window should look like: $L2 = (L1 - 42.9) 2 / 42.9$ Now if you press "ENTER", the L2 list will be filled as shown below. L1 L2 39 .35455 40 .19604 30 3.879 40 .19604 41 .08415 49 .86737 61 7.6366 The numbers under L2 are the numbers to be summed in the right hand side of formula (1) above. To find the sum, press "STAT" and choose "CALC". Then press "ENTER", "2ND", "2" and "ENTER". The test statistic is found to the right of $S_x =$, and in this case is about 13.21. The final step is to find the P-value for this test. To do this press "2ND" and "VARS" and choose "c2cdf(", and press "ENTER". You should see "c2cdf(" on your screen. The P-value in this case is the probability of obtaining a test statistic at least as big as 13.21 assuming that the null hypothesis holds. So we will enter the test statistic as the lower bound, "1E99" as the upper bound, and then the degrees of freedom with commas between the three numbers and a right parenthesis on the end. For this example, there are 7 possible outcomes, one for each day of the week. The degrees of freedom is thus $7 - 1 = 6$, and we would fill in the chi-square formula as follows. Now pressing the "ENTER" button will produce the P-value. In this case, the P-value is 0.0398. Since we are testing at 98% confidence, the significance level is $1 - 0.98 = 0.02$. The P-value is greater than the significance level, so we should keep the null hypothesis. Hence, the evidence is not strong enough at the 98% confidence level to say that the days of the week are not all equally likely. Return to TI 83/84 Statistics Copyright © 2012–2019 by Stan Brown Summary: You can use your TI-83/84 to calculate a goodness-of-fit test, also known as a multinomial experiment. Alternative: MATH200A Program part 6 does the calculations and graphs the χ^2 curve automatically for you. This is significantly easier than using native TI-83/84 commands, so I recommend you get the program if possible. An example in Dabes & Janik [full citation at had to do with the offspring of hybrid fruit flies; see figures at right. The null hypothesis H_0 is that the 9:3:3:1 model is good, and the alternative H_1 is that the model is bad. Use $\alpha=0.05$. The test statistic χ^2 is a standardized measure of how far the observations differ from the model. You'll compute that first, by using some list operations, and then you'll use χ^2 cdf to compute the p-value. L3 now contains the expected counts (expected for this sample size if H_0 is true and the model is correct). Before you continue, verify that the requirements are met for a GoF hypothesis test: L4 now contains the χ^2 contributions. The χ^2 test statistic is 2.45 and the p-value is 0.4838. $p > \alpha$; fail to reject H_0 . TI-84s can compute the χ^2 contributions and p-value for you, although you still have to compute expected counts yourself. 436 hâng · Up to TI-83/84 Plus BASIC Math Programs: 2propztest2.zip: 1k: ... Chi-Square, the p-value, ... Return to TI 83/84 Statistics. Chi-Square Goodness of Fit Test. If some of the symbols or images below do not appear, try using Mozilla Firefox as your internet browser. Brief Instructions. Enter the observed values under L1. Divide the sample size by the number of possible outcomes. The result is the expected value. how to find chi square critical value on ti 84 plus

